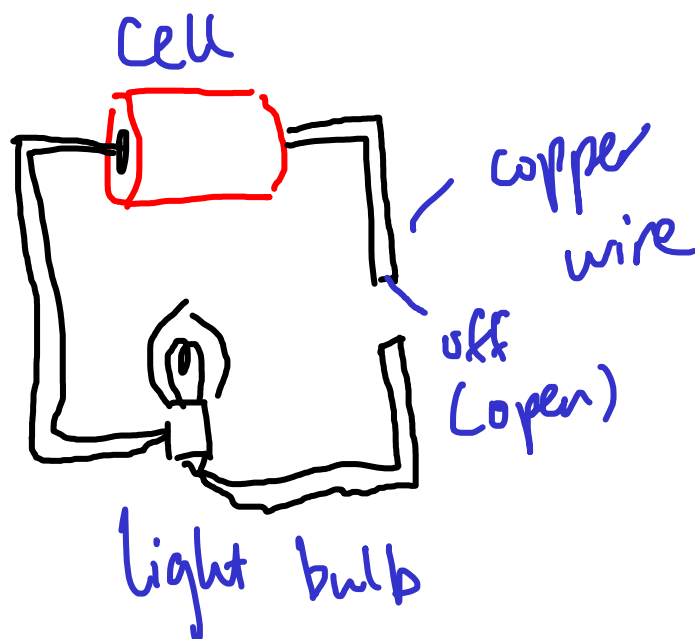
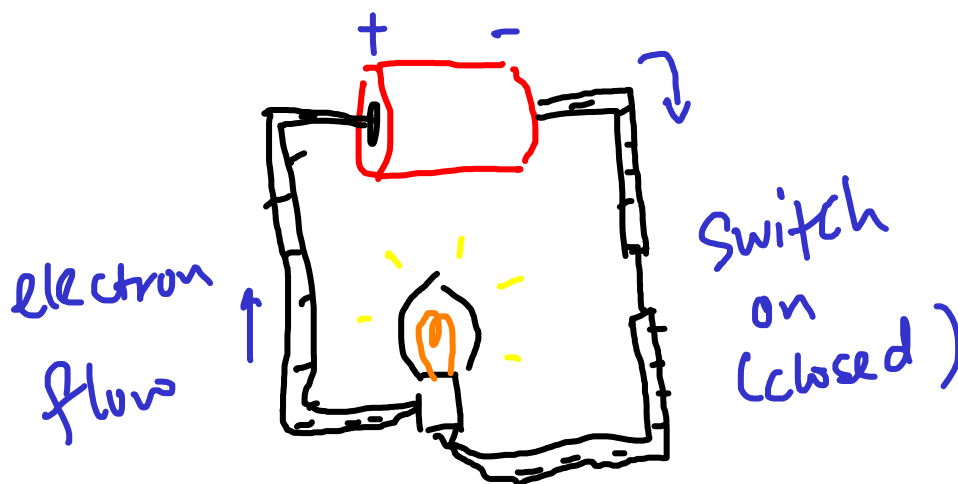


Electric Current

Dr K M Hock



Electrons in copper start to flow when Switch is closed.



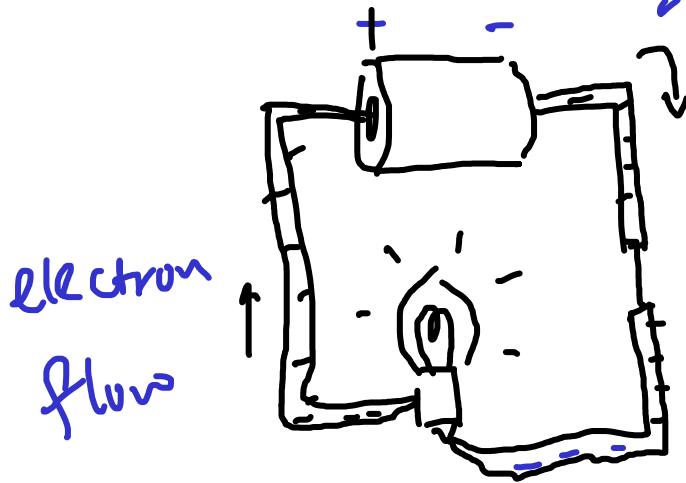
The rate of flow of electric charge is called an electric current.

It is measured in units of amperes (A)

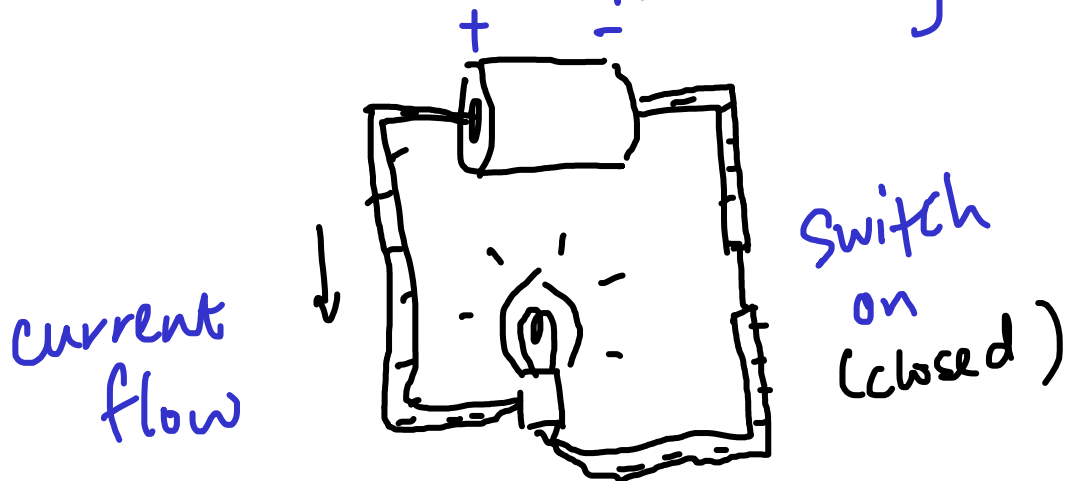
Conventional Current

Dr K M Hock

When e^- flows one way:



current flows the opposite way:



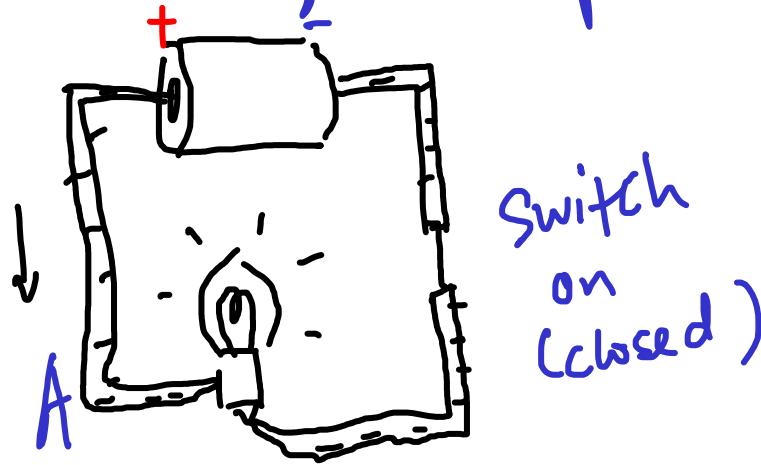
Electricity discovered before
electrons.

Current direction was random choice.
'now called conventional current.

Electric Current Formula

Dr K M Hock

e.g. 0.5C of charge flows past A in 2s



The rate of flow is $0.5\text{C} \div 2\text{s}$
 $= 0.25\text{A}$.

Current = rate of flow of electric charge
past a point in a circuit.

$$\boxed{I = \frac{Q}{t}}$$

charge
time

→ charge = current \times time

$$\boxed{Q = It}$$

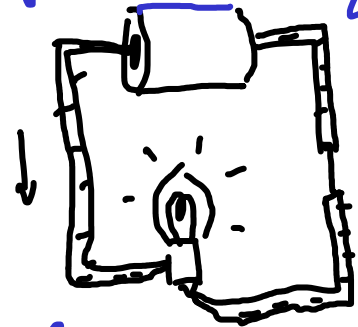
e.g. a circuit has a current of 0.2A .
How much charge flows past the
cell in 3s ?

define electromotive force (e.m.f.) as the work done by a source in driving a unit charge around a complete circuit

Electromotive Force

Dr K M Hock

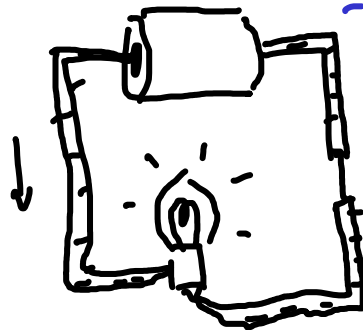
The cell must do work to push charge around circuit



because wire has resistance.

e.g. Suppose the cell does 3 J of work to push 2 C of charge round circuit once.

Then $3 \text{ J} \div 2 \text{ C} = 1.5 \text{ J/C}$ is work done per unit charge



Electromotive Force (e.m.f.) = work done by a source in driving unit charge round complete circuit.

emf

$$E = \frac{W}{Q}$$

work

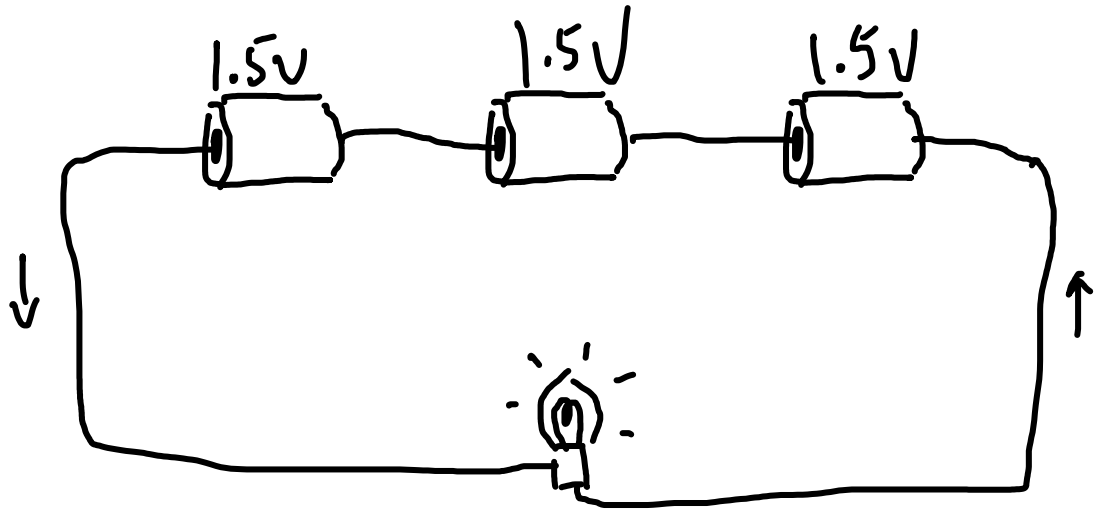
charge

(unit = Volt (V))

e.m.f. in series

Dr K M Hock

e.g. how much work is done by all the cells when they drive 1C of charge around complete circuit.

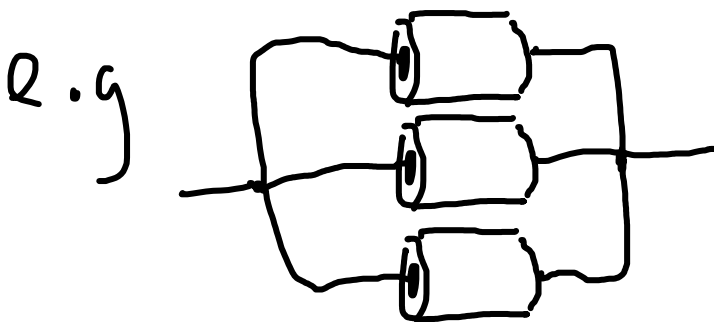


Each cell does 1.5J of work on 1C .

All cells do $1.5\text{J} + 1.5\text{J} + 1.5\text{J} = 4.5\text{J}$

\therefore total e.m.f. = $1.5\text{V} + 1.5\text{V} + 1.5\text{V} = 4.5\text{V}$

Note: can just add only when all cells are in series (in a row).



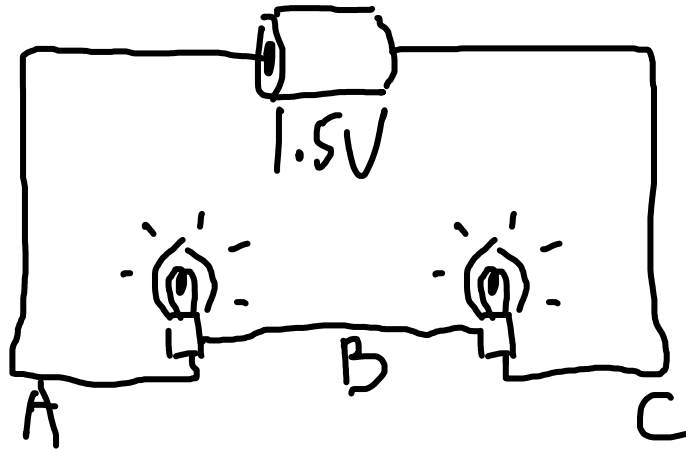
If in parallel,
do not add.

state that the e.m.f. of a source and the potential difference (p.d.) across a circuit component is measured in volts

Potential Difference

Dr K M Hock

e.g. It takes 0.75 J of work to bring 1 C of charge thru' each bulb.



If wire resistance so small we can neglect, then 1 C of charge moving from A to B needs 0.75 J of work.

This work is called potential difference (p.d.) between A and B. $\rightarrow 0.75 \text{ J/C} = 0.75 \text{ V}$.

p.d. across a component - - - e.g. light bulb.

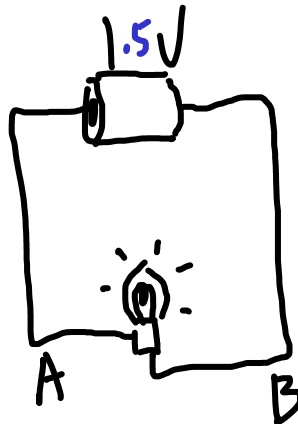
= work done to drive
unit charge thru'
the component

define the p.d. across a component in a circuit as the work done to drive a unit charge through the component
state Ohm's Law

Resistance

Dr K M Hock

e.g. when there is a p.d. between two points like A, B, and a conductor joining them, a current flows.



But the conductor - like wire, light bulb - can give some resistance, like friction.

Ohm's discovered this relation:

$$\boxed{\text{resistance} = \frac{\text{p.d.}}{\text{current}}}$$

Ohm's law

$$R = \frac{V}{I}$$

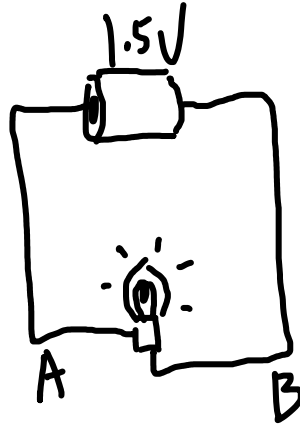
e.g. more resistance means less current (for the same p.d.).

state the definition that resistance = p.d. / current
apply the relationship $R = V/I$ to new situations or to solve related problems

Ohm's law

Dr K M Hock

e.g. When a battery of e.m.f. 1.5V is connected to a light bulb, a current of 0.1A flows. What is the resistance of the bulb?



Answer.

$$R = \frac{V}{I} = \frac{1.5\text{V}}{0.1\text{A}} = 15\Omega$$

Ohm (unit)

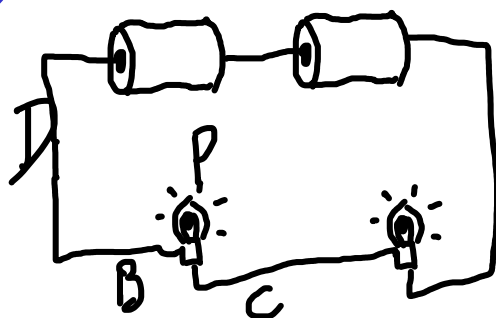
Note: Here, we assumed that there is no resistance in wire or cell

As no work is done to move charges thru' cell or wire, the e.m.f. is same as p.d. across AB.

Measuring Resistance

Dr K M Hock

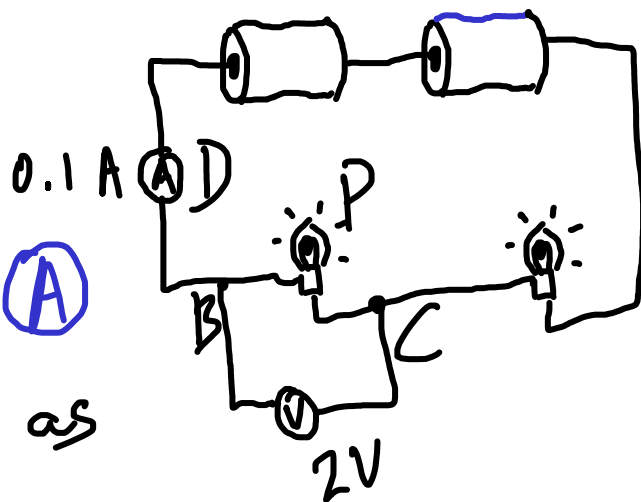
e.g. a setup to measure resistance of lamp P.
Need to know p.d. across BC and current thru' lamp.



Use \textcircled{V} Voltmeter to measure p.d.
symbols \textcircled{A} ammeter to measure current

Connect this way:

1. Must cut wire and connect to 2 sockets on \textcircled{A}
2. Current at D same as current at lamp P.
3. \textcircled{A} very low resistance - hardly disturbs original current.
4. \textcircled{V} connected to B, C to measure the p.d.
5. \textcircled{V} very high resistance - little current diverted from circuit.

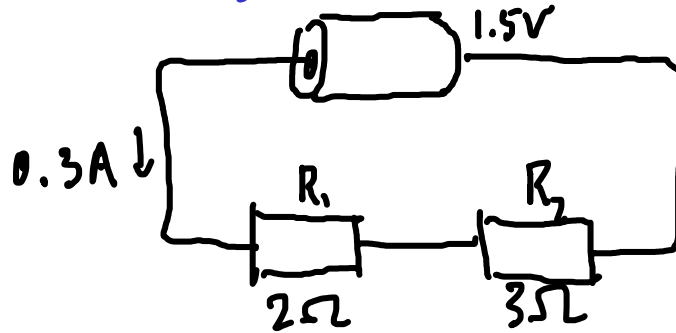


recall and apply the formulae for the effective resistance of a number of resistors in series and in parallel to new situations or to solve related problems

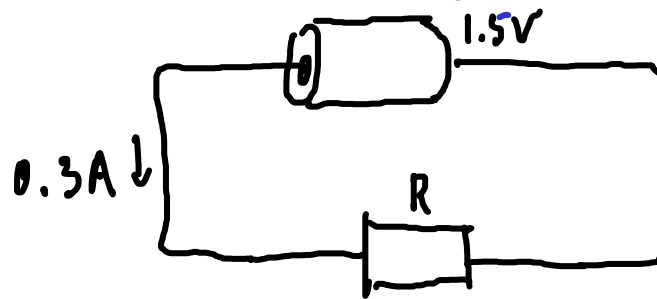
Resistors in Series

Dr K M Hock

e.g. Connect 2 pieces of conductors R_1 , R_2 that have some resistance to a cell.



Call them resistors. I then want replace them by 1 single resistor that gives the same current.



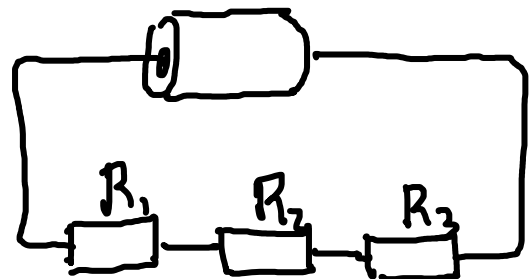
What is the effective resistance R ?

Formula

$$\boxed{R = R_1 + R_2}$$
$$= 2 + 3 = 5\Omega$$

What about 3 resistors:

Formula $\boxed{R = R_1 + R_2 + R_3}$

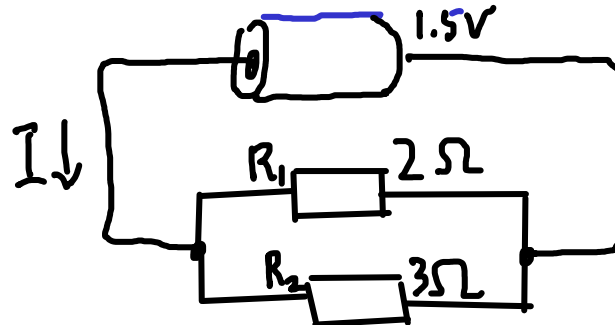


recall and apply the formulae for the effective resistance of a number of resistors in series and in parallel to new situations or to solve related problems

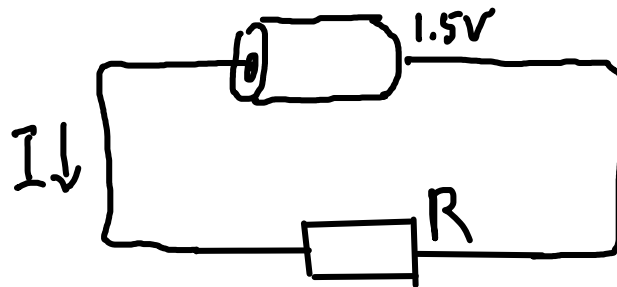
Resistors in Parallel

Dr K M Hock

e.g. Connect 2 resistors to a cell like this:



If I replace by a single resistor R , what resistance would give the same current I as before?



Formula:

$$\boxed{\frac{1}{R} = \frac{1}{R_1} + \frac{1}{R_2}}$$

$$\rightarrow \frac{1}{R} = \frac{1}{2} + \frac{1}{3} = \frac{5}{6}$$

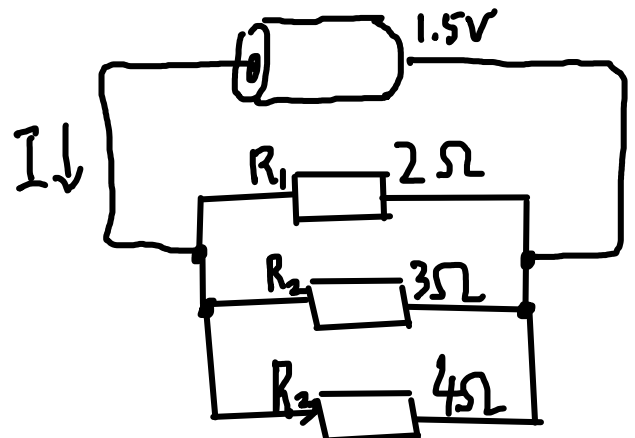
$$R = \frac{6}{5} \Omega$$

Smaller than R_1, R_2 !

What about 3 resistors?

Formula

$$\boxed{\frac{1}{R} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}}$$

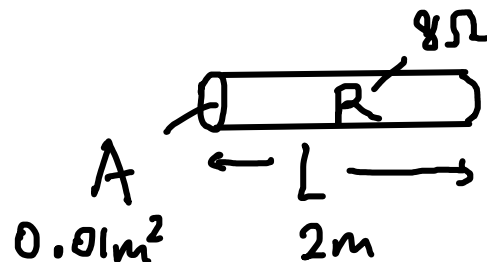


recall and apply the relationship of the proportionality between resistance and the length and cross-sectional area of a wire to new situations or to solve related problems

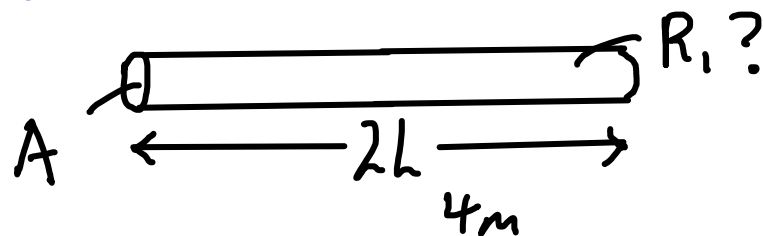
Resistivity

Dr K M Hock

e.g. a long piece of conductor with uniform cross-section has a resistance of $R = 8\Omega$.



e.g. another piece of the same material is 2 times the length. What is the new resistance R_1 ?



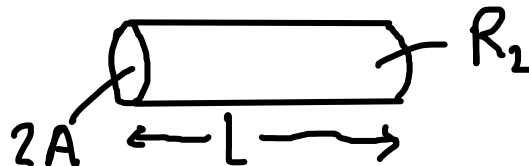
Formula:

$$\boxed{\text{resistance} \propto \text{length}}$$

$$R_1 = 2 \times 8 \\ = 16\Omega$$

e.g. another piece of the same material is 2 times the cross-sectional area.

What is the new resistance R_2 ?



Formula:

$$\boxed{\text{resistance} \propto \frac{1}{\text{area}}}$$

$$R_2 = \frac{8}{2} \\ = 4\Omega$$

Combined:

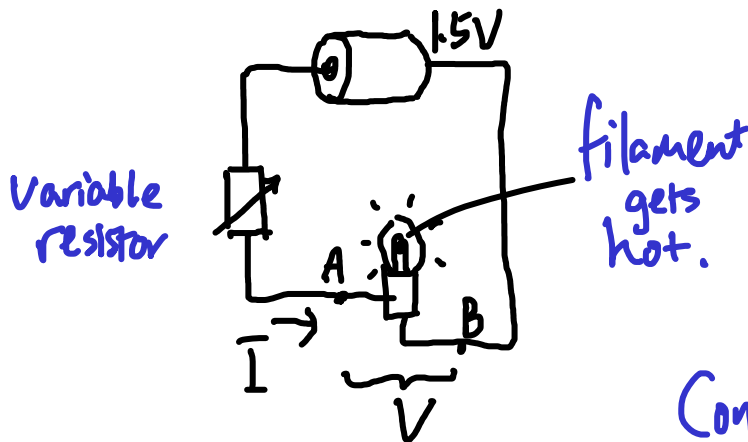
$$\boxed{R = \rho \frac{L}{A}}$$

constant of proportion (resistivity)

Effect of Temperature

Dr K M Hock

e.g. Connect cell to filament lamp. Insert a device whose resistance can be adjusted (maybe by turning a knob).



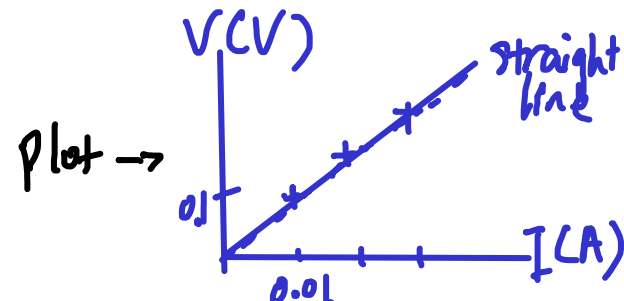
Let V = p.d. across AB (lamp)
Let I = current.

Connect (V), (A) to measure them

e.g. lamp resistance $R = 10 \Omega$

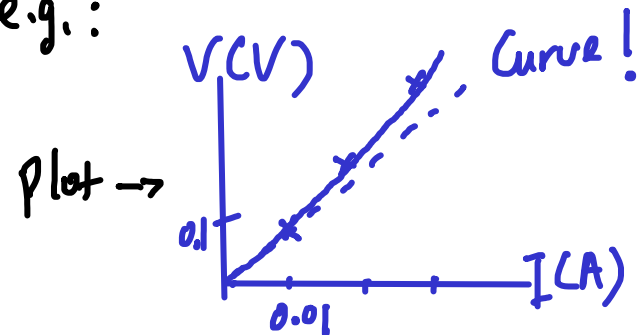
Since Ohm's law is $V = IR$, can also calculate V if we measured I only. e.g.

I (A)	0.01	0.02	0.03
V (V)	0.1	0.2	0.3



But if I actually measure with (V), (I), V gets smaller than calculation, e.g.:

I (A)	0.01	0.02	0.03
V (V)	0.1	0.21	0.33



(Check $R = \frac{V}{I}$:)

R (Ω)	10	10.5	11
------------------	----	------	----

Resistance increases!

Can happen when metal (like lamp filament) gets hot.

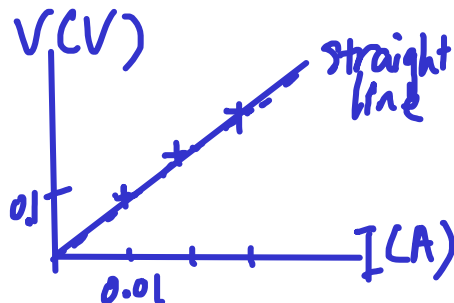
sketch and interpret the I/V characteristic graphs for a metallic conductor at constant temperature, for a filament lamp and for a semiconductor diode

I/V Characteristic Graphs

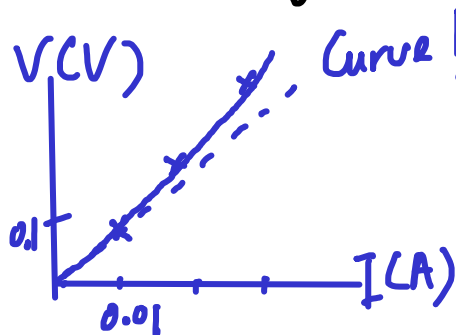
Dr K M Hock

Recall the previous graphs:

(If temperature same)

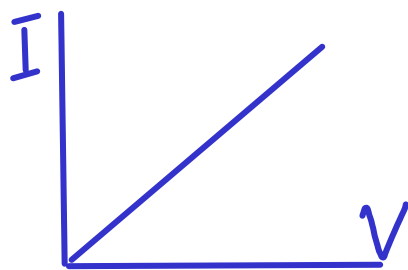


(When it gets hotter)

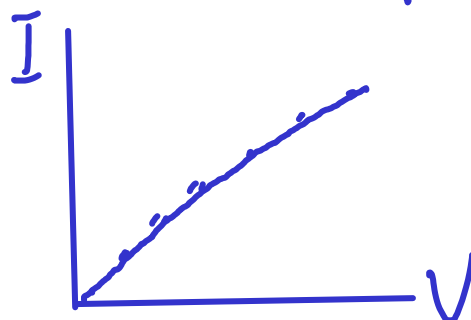


Flip them like this:

metallic conductor
at constant temperature



filament lamp



Many conductors give these shapes when their I, V are measured, plotted.

I/V characteristic

A special device called diode:

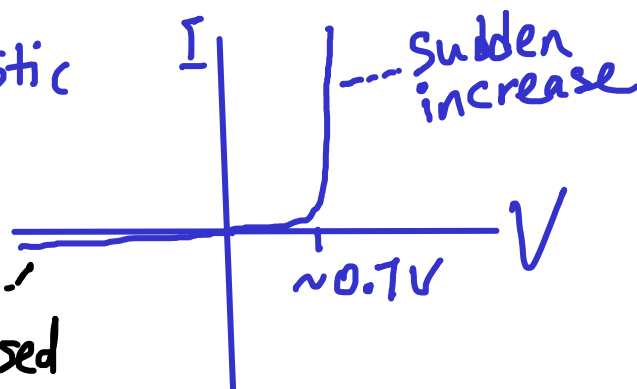
(may look like this)



(represented by this symbol)



has a strange I/V characteristic

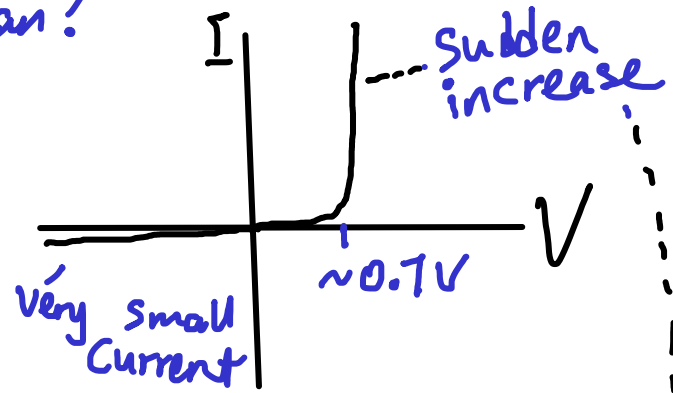
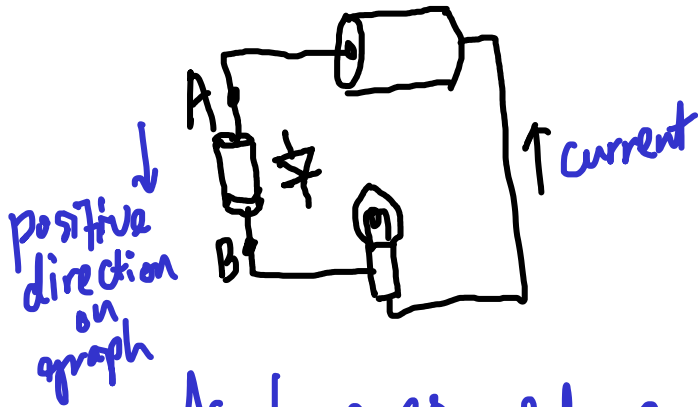


negative V, I means.....
cell, current direction reversed

Diode as a Rectifier

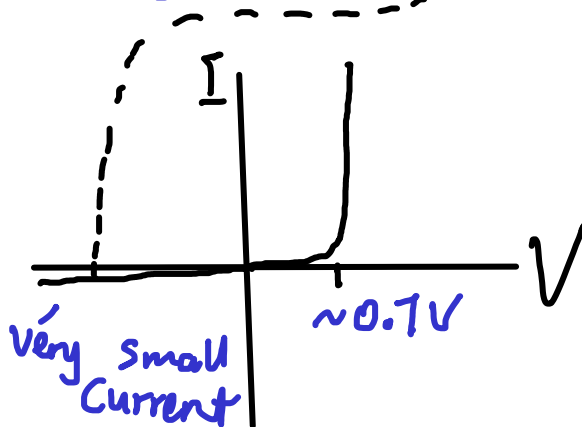
Dr K M Hock

What does this graph mean?

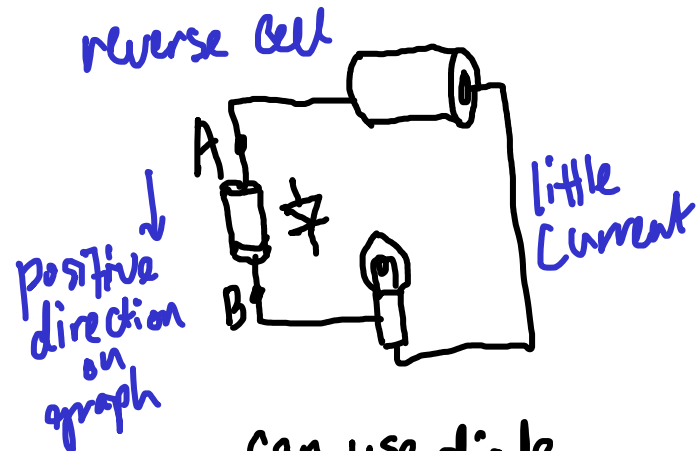


As long as p.d. across diode (A/B) $> 0.7V$,
diode will be like wire with v. small resistance
 \rightarrow sudden increase in I characteristic

If cell reversed, there
is very little current,



as it circuit is open
(switched off).



can use diode
as

A rectifier allows
current to flow in
one direction only.